# TESTING THE FUNDAMENTAL LAWS OF NATURE AT THE ENERGY FRONTIER

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Several layers of structure in the microscopic description of matter have been uncovered at different length scales that are more and more fundamentals





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Reductionism in modern terms:

- Theory with the fewest possible fundamental constituents (elementary particles)
- All (but one) length/energy scales dynamically generated



#### Particle Colliders: our most powerful microscopes

Exploring small distances requires probes with short wavelength, i.e. high momentum



To study their internal structure, particles are accelerated and made to collide



From the collision, new particles are created

#### The Large Hadron Collider (LHC): the Lord of the collider rings

circumference = 27 km

SUISSE

FRANCE

CMS

**IHCb**-

**CERN** Prévessin

protons collide with 13TeV center-of-mass energy in four interaction points

ATLAS

CERN-Meyrin

7 km

protons accelerated by up to 99.999999% of the speed of light

\*

LICE

A zoo of particles described in terms of a few building blocks: quarks and leptons

The dynamics of quarks and leptons obeys the laws of QED+QCD, a quantum field theory based on  $SU(3)_c \times U(1)_{em}$ 



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Hadronic mass scale explained dynamically by QCD but key properties of spectrum rely on arbitrary quark and lepton masses

Q: Can the whole spectrum be explained in terms of more fundamental scales ?



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A new symmetry and a new force emerging at high energies



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The carriers of the electroweak force, the W and Z bosons, were discovered at CERN in 1983 by an experimental collaboration led by C. Rubbia

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At large distances the weak force appears much weaker than the electromagnetic one since W,Z bosons are massive, while the photon is massless



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  - ii) Their solutions (including the vacuum) are not





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- Example of spontaneous symmetry breaking:
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The theoretical formulation of SSB of a gauge symmetry was given in a series of papers by Brout and Englert, by Higgs and by Guralnik, Hagen and Kibble in 1964.



![](_page_20_Picture_8.jpeg)

	$SU(3)_c$	$SU(2)_L$	$U(1)_Y$
q			+1/6
$u^c$	$\overline{\Box}$	1	-2/3
$d^c$	$\overline{\Box}$	1	+1/3
$\ell$	1		-1/2
$e^{c}$	1	1	+1

(1 family)

![](_page_22_Figure_1.jpeg)

(1 family)

Not the same !

![](_page_23_Figure_1.jpeg)

Bare masses not allowed (not gauge invariant) for chiral representations ...

... but, due to the spontaneous symmetry breaking, quarks and leptons propagate in the vacuum as massive fields

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Bare masses not allowed (not gauge invariant) for chiral representations ...

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![](_page_24_Picture_4.jpeg)

Chance to explain the particles' spectrum in terms of only dynamical scales

#### Charge quantization from anomaly cancellation

• Chiral representations are compatible with the  $SU(3)_c \times SU(2)_L \times U(1)_Y$  gauge invariance only if some conditions on the hypercharges are satified (cancellation of gauge anomalies)

$$\begin{aligned} 0 &= \sum_{3,\bar{3}} y_{\psi} = 2y_q + y_{u^c} + y_{d^c} \\ 0 &= \sum_{doublets} y_{\psi} = 3y_q + y_{\ell} \\ 0 &= \sum_{\psi} y_{\psi}^3 = 6y_q^3 + 3y_{u^c}^3 + 3y_{d^c}^3 + 2y_{\ell}^3 + y_{e^c}^3 \\ 0 &= \sum_{\psi} y_{\psi} = 6y_q + 3y_{u^c} + 3y_{d^c} + 2y_{\ell} + y_{e^c} \end{aligned}$$

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$$y_{u^c} = -4y_q$$
  
 $y_{d^c} = 2y_q$   
 $y_\ell = -3y_q$   
 $y_{e^c} = 6y_q$   
Nature's Choice

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![](_page_27_Figure_3.jpeg)

solution #2

$$y_{u^c} = -4y_q$$
  
 $y_{d^c} = 2y_q$   
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Nature's Choice

$$y_{u^c} = -y_{d^c}$$
$$y_q = y_\ell = y_{e^c} = 0$$

Not our world

#### Importance of the EW correction to mass spectrum

![](_page_28_Figure_1.jpeg)

Contribution from the quark masses is tiny but makes the neutron heavier than the proton:

$$m_n - m_p = 1.29 \,\mathrm{MeV}$$

• if the proton were heavier than the neutron, it would be unstable and the Universe would be made of a sea of neutrons without atoms

![](_page_30_Picture_2.jpeg)

- if the proton were heavier than the neutron, it would be unstable and the Universe would be made of a sea of neutrons without atoms
- if the neutron were a bit heavier, deuterium and other isotopes would be unstable and the formation of heavier elements (nucleosynthesis) would be altered. The Universe would be made of just hydrogen.

$m_n - m_p > 2.7 \mathrm{MeV}$	$\rightarrow$	deuterium unstable:
		$d \to 2p + e^- + \bar{\nu}_e$
$m_n - m_p \gtrsim 10 \mathrm{MeV}$	-	neutrons in nuclei unstable

![](_page_31_Picture_4.jpeg)

![](_page_31_Picture_5.jpeg)

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![](_page_32_Picture_4.jpeg)

![](_page_32_Picture_5.jpeg)

 if the electron were heavier, atoms would be unstable and we would not have chemistry

 $m_e > m_n - m_p = 1.29 \,\mathrm{MeV}$ 

 $m_e \gtrsim 10 \,\mathrm{MeV}$ 

hydrogen atom unstable:

all atoms unstable

 $^{1}H \rightarrow n + \nu_{e}$ 

![](_page_32_Picture_10.jpeg)

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Q: Do we have a dynamical model for Electroweak Symmetry Breaking?

Yes, we do: the Higgs model

$$\mathcal{L} = |D_{\mu}H|^2 + \mu^2 H^{\dagger}H - \lambda (H^{\dagger}H)^2$$

$$\langle H \rangle \equiv \frac{v}{\sqrt{2}} = \sqrt{\frac{\mu^2}{\lambda}}$$

$$H(x) = e^{iT^a\chi^a(x)} \frac{1}{\sqrt{2}} \begin{pmatrix} 0\\ v+h(x) \end{pmatrix}$$

![](_page_33_Figure_5.jpeg)

massless excitations: NG bosons ( $\chi^a$ )

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h

massless excitations: NG bosons ( $\chi^a$ )

1. Existence of an <u>elementary</u> (i.e. structure-less) spin-0 particle: the Higgs boson

**Predictions:** 2. Masses are proportional to the Higgs vev

$$m_{\psi} = \frac{v}{\sqrt{2}} y_{\psi}$$
$$m_{W} = \frac{m_{Z}}{\cos \theta_{W}} = \frac{gv}{4}$$

3. The Higgs boson itself is a force carrier (Yukawa and Higgs self interactions)

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![](_page_35_Figure_3.jpeg)

massless excitations: NG bosons ( $\chi^a$ )

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$$H(x) = e^{iT^a \chi^a(x)} \frac{1}{\sqrt{2}} \left( v + h(x) \right) \leftarrow \text{`Higgs boson' (radial excitation)}$$

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#### $SU(3)_c \times SU(2)_L \times U(1)_Y \text{QFT} + \text{Higgs Model} =$

The **Standard Model** of Fundamental Interactions

$$SU(3)_c \times SU(2)_L \times U(1)_Y \operatorname{QFT} + \operatorname{Higgs} \operatorname{Model} =$$

~

For the first time we have a theory that can be extrapolated up to extremely high energies (up to the Planck scale) and it's weakly coupled

![](_page_37_Figure_4.jpeg)

Couplings evolve logarithmically with the energy

![](_page_37_Figure_6.jpeg)

Isocurves of max energy at which the theory can be extrapolated

$$SU(3)_c \times SU(2)_L \times U(1)_Y \operatorname{QFT} + \operatorname{Higgs} \operatorname{Model} =$$

×

The theory can<u>not</u> be extrapolated to <u>arbitrarily</u> high scales (due to hypercharge Landau pole + quantum gravity at Planck scale)

![](_page_38_Figure_4.jpeg)

V

#### A large cutoff scale $\Lambda_{UV}$ implies accidental symmetries at low energies

![](_page_39_Figure_4.jpeg)

$$SU(3)_c \times SU(2)_L \times U(1)_Y \operatorname{QFT} + \operatorname{Higgs} \operatorname{Model} =$$

![](_page_40_Figure_2.jpeg)

When extrapolated at  $\sim 10^{14-15} \, \text{GeV}$  the gauge couplings seem to unify

![](_page_40_Figure_4.jpeg)

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The SM may be embedded into a Grand Unified Theory with simple gauge group

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/

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m GeV}$  the gauge couplings seem to unify

![](_page_41_Figure_4.jpeg)

Couplings evolve logarithmically with the energy

The SM may be embedded into a Grand Unified Theory with simple gauge group

#### Ex: SU(5) GUT

$$\bar{5} = \begin{pmatrix} d^c \\ \ell \end{pmatrix} \quad 10 = \begin{pmatrix} u^c & q \\ & e^c \end{pmatrix}$$

SM fields fill two complete SU(5) multiplets

$$SU(3)_c \times SU(2)_L \times U(1)_Y \operatorname{QFT} + \operatorname{Higgs} \operatorname{Model} =$$

### The **Standard Model** of Fundamental Interactions

![](_page_42_Figure_2.jpeg)

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![](_page_42_Figure_4.jpeg)

 $SU(3)_c \times SU(2)_L \times U(1)_Y \operatorname{QFT} + \operatorname{Higgs} \operatorname{Model} =$ 

![](_page_43_Picture_2.jpeg)

Thanks to chirality of gauge representations, physical spectrum explained in terms of just two fundamental scales

- 1. QCD scale  $\Lambda_{QCD}$
- 2. Higgs Mass term  $\mu^2$  (EW scale)
- + the neutrino mass scale (dim-5 operator)

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![](_page_44_Picture_2.jpeg)

Thanks to chirality of gauge representations, physical spectrum explained in terms of just two fundamental scales

- 1. QCD scale  $\Lambda_{QCD}$   $\leftarrow$  dynamical
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![](_page_45_Picture_2.jpeg)

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![](_page_45_Figure_4.jpeg)

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The **Standard Model** of Fundamental Interactions

**X** Furthermore: Higgs mass term unstable against radiative corrections

![](_page_46_Figure_3.jpeg)

$$SU(3)_c \times SU(2)_L \times U(1)_Y \text{QFT} + \text{Higgs Model} =$$

**X** Furthermore: Higgs mass term unstable against radiative corrections

![](_page_47_Figure_3.jpeg)

<u>Analogy</u>: statistical mechanical systems near critical point

 $T \rightarrow T_c$  requires to finetune the temperature:

![](_page_47_Figure_6.jpeg)

credit: Slava Rychkov at EPS 2011

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![](_page_48_Figure_3.jpeg)

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 $T \rightarrow T_c$  requires to finetune the temperature:

![](_page_48_Figure_6.jpeg)

credit: Slava Rychkov at EPS 2011

### The **Standard Model** of Fundamental Interactions

#### SM + GR fails to explain some basic features of our Universe

#### 1. Dark Matter<sup>\*</sup> and Dark Energy

\* Primordial Black Holes can reproduce the DM abundance but the mechanism of their production is beyond the SM

#### 2. Matter anti-Matter asymmetry

#### 3. Inflation

![](_page_49_Figure_7.jpeg)

![](_page_49_Picture_8.jpeg)

What laboratory data say on the EWSB dynamics

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#### LEP + Tevatron

Precision Tests on EW observables have tested SM loop corrections at the  $10^{-3}$  level with  $\sim 10\%$  precision. Excellent agreement with SM predictions.

$$\epsilon_1 = (6.0 \pm 0.6) \times 10^{-3}$$
  
 $\epsilon_3 = (5.9 \pm 0.8) \times 10^{-3}$ 

![](_page_51_Figure_4.jpeg)

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#### LHC

Higgs boson has right quantum numbers (spin/CP) and its couplings are SM-like with  $\lesssim 10\%$  precision

![](_page_52_Figure_6.jpeg)

![](_page_52_Figure_7.jpeg)

 $19.7 \text{ fb}^{-1} (8 \text{ TeV}) + 5.1 \text{ fb}^{-1} (7 \text{ TeV})$ 

![](_page_53_Picture_1.jpeg)

What lies beyond the SM ? Where to look for New Physics ?

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What lies beyond the SM ? Where to look for New Physics ?

- New Physics can be of two kinds:
  - i) charged under SM and heavy ( $m \gtrsim 0.5 4 \,\mathrm{TeV}$ )
  - ii) neutral under SM and possibly very light

![](_page_55_Picture_1.jpeg)

What lies beyond the SM ? Where to look for New Physics ?

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![](_page_56_Picture_1.jpeg)

What lies beyond the SM ? Where to look for New Physics ?

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  - i) charged under SM and heavy ( $m \gtrsim 0.5 4 \,\text{TeV}$ ) Energy Frontier
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Intensity Frontier

![](_page_57_Picture_1.jpeg)

Theories with dynamical EW scale: Composite Higgs Theories

[Georgi-Kaplan 1980's]

The Higgs boson is not elementary, but a bound state of new dynamics above the TeV scale

Generic predictions:

- 1. Modified Higgs couplings
- 2. Top partners (fermionic resonances with top quantum numbers)
- 3. Additional SM-singlet pNGB

![](_page_57_Picture_9.jpeg)

![](_page_58_Picture_1.jpeg)

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Current bounds on top partners:

 $M_T, M_B \gtrsim 1.1 - 1.3 \,\mathrm{TeV}$ 

Associated fine tuning

$$\mathrm{FT} \approx \frac{3y_t^2}{4\pi^2} \frac{M^2}{m_h^2} \simeq \left(\frac{M}{0.45 \,\mathrm{TeV}}\right)^2 \simeq 10$$

![](_page_58_Picture_13.jpeg)

![](_page_58_Picture_14.jpeg)

![](_page_59_Picture_1.jpeg)

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Best discovery opportunities from a future 100km circular colliders:

- Higgs Precision Tests at  $e^+e^-$  phase (FCC-ee)
- Top partners searches at pp phase (FCC-hh)

![](_page_59_Picture_12.jpeg)

![](_page_59_Picture_13.jpeg)

Theories with dynamical DM scale: Composite DM Theories

![](_page_60_Figure_2.jpeg)

Dark Matter might be a bound state of new strongly-coupled dynamics.

DM stability might be the consequence of an accidental symmetry (in analogy with proton stability in the SM)

Theories with dynamical DM scale: Composite DM Theories

![](_page_61_Figure_2.jpeg)

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Types of accidental	Dark baryons
DM candidates:	Dark mesons (pions and quarkonia)
	Gluequarks (Qg bound states with adjoint dark quarks)
	Dark nuclei

:

2

#### Theories with dynamical DM scale: Composite DM Theories

Most interesting (and most difficult to build) theories are those with chiral gauge representations and only dynamical scales

Signatures:

 Collider production of SM-charged partners

DM direct detection

![](_page_62_Picture_7.jpeg)

DM indirect detection

Ex: model with chiral U(1)<sub>D</sub> [RC, Podo, Revello, work in progress]

![](_page_62_Figure_10.jpeg)

### Conclusions

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- We have a mathematical model (the 'Standard Model') which explains all laboratory data collected so far, but leaves some important theoretical and experimental issues unanswered
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  - what is Dark Matter made of?
  - what is the mechanism of Baryogenesis?

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  - what is the origin of the EW scale and why the Higgs boson is light?
  - what is Dark Matter made of?
  - what is the mechanism of Baryogenesis?
- Next generation colliders will be tremendous enterprises with gigantic size. Advance in our understanding of fundamental interactions might come in the near future from 'unconventional' experiments (Dark Matter detection, cosmology)